

Dynamic analysis of a floating wind turbine using the Moving Frame Method

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• Aim of the project

Leverage the Moving Frame Method (MFM) to create self-contained software systems for complex dynamic analysis.

• Process

• Assert frames for the nacelle, platform and rotor

• Determine kinematic expression for each body through use of the Special Euclidean group

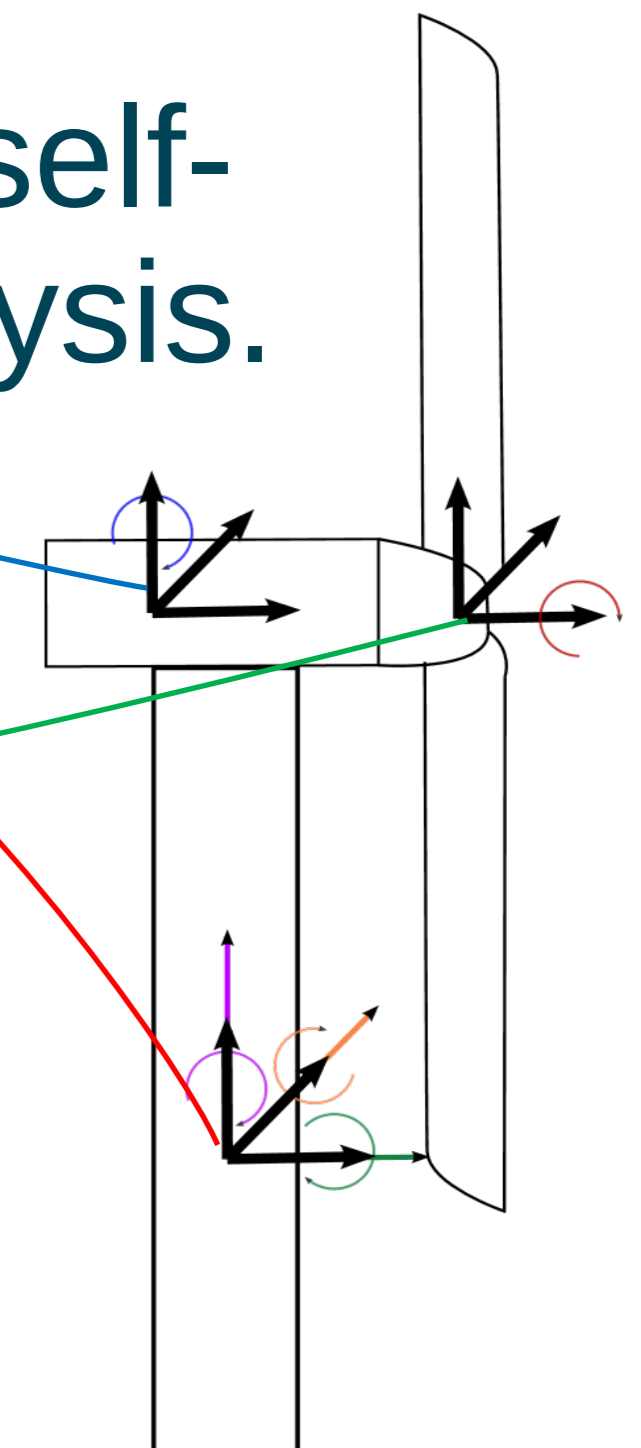
• Obtain equations of motion through Hamilton's Principle extended by Principle of Virtual Work.

$$\dot{x}_c^{(3)}(t) = \begin{pmatrix} R^{(2)}(t) \overleftrightarrow{s}_c^{(3/J)}(t)^T \omega^{(2)}(t) + \\ R^{(1)}(t) \overleftrightarrow{s}_c^{(J/1)}(t)^T \omega^{(1)}(t) + \\ \dot{x}_c^{(1)}(t) \end{pmatrix}$$

$$\omega^{(3)}(t) = \begin{pmatrix} R^{(3/1)T}(t) \omega^{(1)}(t) + \\ R^{(3/2)T}(t) \omega^{(2/1)}(t) + \omega^{(3/2)}(t) \end{pmatrix}$$

$$\int_{t_0}^{t_1} \{ \delta \dot{X}(t) \}^T [M] \{ \dot{X}(t) \} + \{ \delta q(t) \}^T \{ F^*(t) \} dx$$

$$M^* \{ \ddot{q}(t) \} + N^* \{ \dot{q}(t) \} = \{ F^*(T) \}$$



• Results

